

1.06

**On Your Own**

10. Copy this segment onto a sheet of paper.



Use a straightedge and a compass to construct two different isosceles triangles, each with two sides that are the same length as this segment.

11. Use a compass to construct two circles, such that one circle has a radius that is the same length as the diameter of the other circle.
12. Construct a quadrilateral with at least one  $60^\circ$  angle and all sides that are the same length.
13. Draw several different triangles. For each triangle, construct a circle that passes through all three vertices. For what kinds of triangles is the circle's center in the following locations?
- inside the triangle
  - on the triangle
  - outside the triangle
14. **Standardized Test Prep** Mr. Mendoza's geometry class came up with four conjectures about the medians and the altitudes of triangles. Which of the following conjectures is NOT correct?
- A median of a triangle divides the triangle into two smaller triangles of equal area.
  - The intersection of the three medians of a triangle is always inside the triangle.
  - In a right triangle, the altitudes intersect at the vertex of the largest angle.
  - In an obtuse triangle, exactly one of the altitudes lies outside the triangle.

## Homework Investigation 1B

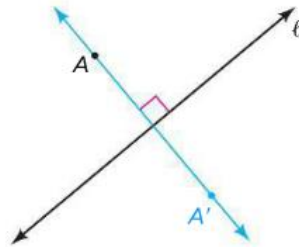
Name: \_\_\_\_\_

15. Salim planted three new saplings. He wants to install a rotating sprinkler to water the three saplings. Where should he install the sprinkler to make sure that all three saplings get the same amount of water?

- Trace the saplings onto your paper.
- Show where Salim should install the sprinkler.
- Explain your answer.

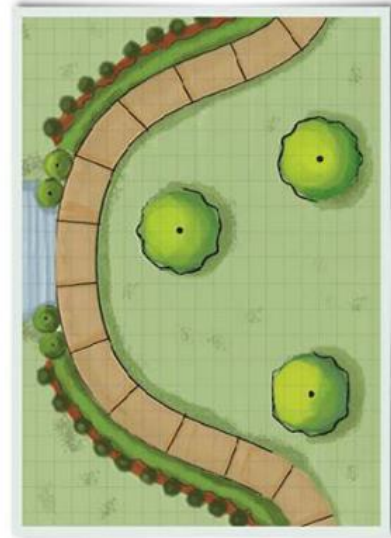
16. To reflect a point over a line, do the following:

- Construct a perpendicular line from the given point  $A$  to the given line  $\ell$ .
- On the perpendicular, mark point  $A'$  on the other side of  $\ell$  from  $A$  so that  $A'$  and  $A$  are the same distance from  $\ell$ .



- On your own, draw a point and then draw a line that does not pass through that point.

- Follow the directions above to reflect the point over the line. Think of the line as a mirror. In the figure above,  $A'$  is the reflection of  $A$  in the mirror.  $A$  and  $A'$  are the same distance from and in the same position relative to the mirror.



This is Salim's garden.